# Internal Use Only 

## TR－IT－0200

# A Study on Continuous Speech Recognition Based on Polynomial Segment Models 

Sophie Aveline<br>ソフィーアベリン

Toshiaki Fukada<br>深田 俊明

1996．12．20

In this paper，we present a speech recognition system based on polynomial seg－ ment models（PSMs）．To date，several PSM－based studies have been shown that the performance of the PSM．s was better than that of regular HMMs．However， most of the comparisons have been done for classification tasks or for rescoring the HMM－based recognition results because the computational requirement for PSM is quite high．In our approach，to reduce the computational requirement dra－ matically，a recurrent neural network（RNN）based landmark detector，which can estimate boundary candidates of phonemes accurately，is first developed．Then， PSM－based recognition is performed by evaluating landmark candidates obtained from the landmark detector．Our preliminary experimental results on the TIMIT database showed that the proposed system gave equivalent recognition performance to that of a conventional HMM system．

## （C）ATR音声翻訳通信研究所

## Contents

1 Introduction ..... 3
I Landmark Detector ..... 4
2 Detection Network ..... 4
2.1 Inputs and Outputs ..... 4
2.2 Training and testing of the network ..... 4
3 How to identify the possible boundaries ..... 7
3.1 First Idea: a threshold and a margin ..... 7
3.1.1 Conception ..... 7
3.1.2 Results ..... 8
3.2 Second Idea: two thresholds and a margin ..... 10
3.2.1 Conception ..... 10
3.2.2 Results ..... 11
3.3 Third Idea: two thresholds, a margin and a step ..... 12
3.3.1 Conception ..... 12
3.3.2 Results - Insertion ..... 13
3.3.3 Results - Accuracy ..... 13
3.3.4 Results - Reducing rate ..... 14
3.3.5 Results - Example ..... 15
4 How to find the good phonemes with the set of possible boundaries ..... 18
4.1 First Idea: two kinds of estimated boundaries ..... 18
4.1.1 Conception ..... 18
4.1.2 Results ..... 19
4.2 Second Idea: too close main boundaries should be considered as second ones ..... 19
4.2.1 Conception ..... 19
4.2.2 Results - Reducing rate ..... 20
4.2.3 Percentage of good phonemes ..... 21
4.2.4 Results - Distance ..... 21
4.2.5 Results - Example ..... 22
II Recognizer ..... 25
5 Speech Recognition Based on Polynomial Segment Models ..... 25
5.1 Structure of the network ..... 25
5.2 Polynomial Segment Model ..... 26
6 Latdec program ..... 28
6.1 Conception ..... 28
6.2 First results ..... 28
7 Improvements of the present system ..... 30
7.1 Duration probability weighting ..... 30
7.2 Number of iterations ..... 31
7.3 Output Data ..... 31
7.4 RNN structure ..... 32
7.4.1 Forward and backward states ..... 32
7.4.2 Hidden states ..... 33
7.5 Latdec program ..... 35
7.5.1 Positive and negative time window ..... 35
7.5.2 Short segment evaluation ..... 35
III Results ..... 37
8 Results of the Landmark Detector ..... 37
8.1 Test with the new data and new RNN ..... 37
8.2 Comparison with HMM ..... 41
9 Final Results ..... 42
9.1 Results obtained ..... 42
9.1.1 Effectiveness of duration probability ..... 42
9.1.2 Effectiveness of short segment evaluation ..... 43
9.1.3 Two thresholds ..... 43
9.2 Best results obtainable ..... 44
9.3 Comparison with HMM ..... 44
9.3.1 Computational requirement comparison ..... 44
9.3.2 Accuracy and Percentage of good phonemes ..... 45
10 Conclusion ..... 47
IV Appendix ..... 49
11 Appendix A: How to use all the programs ..... 49
11.1 Data files ..... 49
11.2 List file ..... 49
11.3 To run a program ..... 49
11.4 Options ..... 50
11.5. Programs ..... 50
11.5.1 Concerning Boundaries ..... 50
11.5.2 Concerning Phonemes ..... 51
11.5.3 For the latdec program ..... 51
12 Appendix B: the different kinds of files ..... 54

## 1 Introduction

This system is used to improve present systems of speech recognition. These latter ones are based on the following principle: the recognition occurs at the same time as the separation of the phonemes (segmentation).

In this system of speech recognition based on polynomial segment models [2], there are two separated stages in the process. The first one is the separation of the phonemes through a bi-directional Recurrent Neural Network [8]. The other one is the recognition itself (identification). This is illustrated by Figure 1.


Figure 1: Principle of the system

Short explanation of each block of Figure 1:

- Detection Network: It is a Recurrent Neural Network trained with 3696 sentences in order to identify the boundaries of each phoneme.
- Landmark Detector: From the Input speech, with the RNN, it is able to determine the boundaries of the phonemes of the unknown sentences. Thus the system has demarcated each phoneme.
- PSM: Polynomial Segment Model, it tries to identify each phoneme in order to be able to reconstruct the sentence.
- PSM-based Recognizer: From the possible boundaries of phonemes obtained with the Landmark Detector, it identifies the most probable succession of phonemes.

First, we will explain how the Detection Network gives the boundaries of the phonemes. After that, we will show the working of the PSM-based Recognizer. Finally, we will present the results compared to the results of the HMM-based recognizer.

## Part I

## Landmark Detector

## 2 Detection Network

### 2.1 Inputs and Outputs

The inputs are 26 feature parameters which have been combined in order to take less mernory.
Indeed, from the waveforms, feature parameters can be extracted through the HCode tool. The results are files whose extension is ". mfc ". In these files, there are 12 parameters plus the energy for each frame (a frame covers 10 ms of speech and they overlap each others). Then new files ".phnnew" are created. They contain all the phonemes of a sentence. Each phoneme is demarcated with the number of the frame in which it begins and the one in which it ends. After that, a codebook can be generated in order to reduce storage for spectral analysis information and computation for determining similarity of spectral analysis vectors. It contains vectors of 26 parameters. To finish this stage, the files are combined and then splited to make smaller files. These files will contain the inputs of the Recurrent Neural Network.

There is only one output for each frame. It is a value from 0 to 1 , it represents the possibility for each frame to be a boundary of a phoneme. The value " 1 " is given when the frame is surely a boundary. The value " 0 " is given when the frame is not a boundary.

The Figure 2 illustrates a curve representing the true values of the boundaries and another one representing the estimated values of the boundaries of the frames. The first one is constructed from a file containing the number of the frames which demarcate each phoneme ( 1 if it is a boundary, and the values decrease to 0 through the values $0.75,0.5,0.25$ ). The latter is the results of the RNN network for testing data with 20 forward and backward states, running on 100 cycles, it is the output of the Landmark Detector.

In the remaindering of these explanations, we will show the improvement of the system with the example I (Figure 2), which was tested with a RNN with 20 forward and backward states, 100 iterations.

### 2.2 Training and testing of the network

To train the Recurrent Neural Network (use of the tolls of M. Schuster [8]), we have 3696 files which contain different sentences. The goal is to find the best structure for this Recurrent Neural Network. This is realized by finding the network (right number of forward states and of backward states) that minimizes the Minimum Square Error (MSE). The program used is the Drnntrain one and the outputs are the files drnntrain_fXbX (X represents the number of forward and backward states).
The training of the network with different number of forward and backward states gives the results of the Table 1 (for 100 cycles).


Figure 2: Curves of the true probability for the frames to be a boundary and the estimated one through the RNN network.

| Nb of backward and forward states | MSE - training |
| :---: | :---: |
| $2-2$ | $8.419055 \mathrm{e}-02$ |
| $5-5$ | $7.043952 \mathrm{e}-02$ |
| $10-10$ | $6.323325 \mathrm{e}-02$ |
| $20-20$ | $6.087387 \mathrm{e}-02$ |
| $30-30$ | $5.928701 \mathrm{e}-02$ |

Table 1: MSE-training values according the number of states in the network for 100 iterations.

## The tests:

In order to test the recurrent neural network, we have a set of 1344 sentences. Thanks to the Drnntest program (the outputs are the files test.drnntest.fXbX), it is possible to test it and, in Table 2, there are the values of the MSE obtained according to the structure of the network for 100 cycles.

| Nb of backward and forward states | MSE - testing |
| :---: | :---: |
| $2-2$ | $8.492939 \mathrm{e}-02$ |
| $5-5$ | $7.153326 \mathrm{e}-02$ |
| $10-10$ | $6.438741 \mathrm{e}-02$ |
| $20-20$ | $6.206396 \mathrm{e}-02$ |
| $30-30$ | $6.053929 \mathrm{e}-02$ |

Table 2: MSE-testing values according the number of states in the network for 100 iterations.

| Nb iterations | MSE - training | MSE - testing |
| :---: | :---: | :---: |
| 20 | $1.034510 \mathrm{e}-01$ | $1.016970 \mathrm{e}-01$ |
| 50 | $7.248991 \mathrm{e}-02$ | $7.450458 \mathrm{e}-02$ |
| 100 | $6.087387 \mathrm{e}-02$ | $6.206396 \mathrm{e}-02$ |
| 200 | $5.606307 \mathrm{e}-02$ | $5.771254 \mathrm{e}-02$ |

Table 3: MSE - training values and testing values according to the number of iterations for a 20 forward and backward state network.

The values of the MSE are quite good but they are not sufficient to determine which number of forward and backward will give the best results to find the boundaries of the phonemes. As a network with 20 forward states and 20 backward states seems to be a good compromise between time and results, it is important to know if the choice of 100 cycles is suitable to study the performance.
The Table 3 displays the values of the MSE for the training and the testing of a network with 20 forward and backward states with $20,50,100,200$ iterations.

## 3 How to identify the possible boundaries

We would like to confirm that the network with 20 states and run on 100 iterations is a good one to estimate the results. Now, it is necessary to find among the frames which ones can be the boundaries. As the network is not perfect, the value 1 does not appeared in the outputs but some frames are boundaries.
That is the reason why some parameters need to be introduced to try to identify the boundaries of the phonemes.

The way to use all the following programs is explained in the Annex A.
The results shown in the remainder of this chapter are obtained for the testing data with a network whose structure is made of 20 forward and backward states. The number of cycles is 100 when it is not specified.

### 3.1 First Idea: a threshold and a margin

### 3.1.1 Conception

In order to separate the frames which can be boundaries of phonemes, the estimated boundaries are first considered as the points which are local maxima above a threshold. Then, it is important to see whether each estimated boundary corresponds to a true one. As the estimated boundaries and the true ones are not exactly in the same frame (it may be one frame of difference or more), the parameter "margin" allows an error around each true boundary and it is now possible to define the Insertion, Deletion numbers and the Accuracy.

This example underlines the importance of such a parameter. For instance, if margin equals 1 and there is a true boundary in the frame 95, then:

1. If there is no estimated boundary in the frames $94,95,96$ then the Deletion number is increased of one unit.
2. If there is one estimated boundary in the frame $94,95,96$, then nothing is changed.
3. If there are more than one estimated boundary ( N ) in the frames $94,95,96$, then the Insertion number is increased of N-1 units.

The Accuracy is defined as:

$$
\text { Accuracy }(\%)=100 * \frac{N-D-I}{N}
$$

with: N total number of real boundaries
I number of insertions
D number of deletions

Explanation of the results that are obtained for the example I (upper threshold $=0.7$ ):

- The true boundaries are at the frames: $0,12,17,26,32,39,41,48,51,57,62,71,79$, 86, 100.
- The estimated boundaries are at the frames: $0,18,34,39,48,53,55,57,72,79$.
- 15 True boundaries
- for margin $=0 \quad$ Insertion $=5$ (frames $18,34,53,55,72)$


Figure 3: Curves of the true and estimated probabilities to have a boundary in each frame with the one threshold

Deletion $=10($ frames $12,17,26,32,41,51,62,71,86,100)$
Accuracy $=0$

- for margin $=2 \quad$ Insertion $=1$ (frame 55 , because the true one 51 goes with the estimated 53 and the true one 57 goes with the estimated 57)

Deletion $=6($ frames $12,26,41,62,86,100)$
Accuracy $=53.33$

### 3.1.2 Results

To find those estimated boundaries, it is necessary to determine the accurate values for the threshold and for the margin. The Table 4 gives the value of the Accuracy depending on the threshold value (vertical) and the margin value (horizontal).

|  | Margin |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Threshold | 0 | 1 | 2 | 3 | 4 |  |
| 0.4 | -23.44 | 48.64 | 62.00 | 66.21 | 68.98 |  |
| 0.45 | -19.57 | 50.77 | 63.60 | 67.55 | 70.12 |  |
| 0.5 | -15.96 | 52.43 | 64.56 | 68.21 | 70.54 |  |
| 0.55 | -12.53 | 53.31 | 64.70 | 68.04 | 70.17 |  |
| 0.6 | -9.65 | 51.46 | 64.07 | 67.12 | 68.95 |  |
| 0.65 | -7.25 | 52.31 | 61.78 | 64.35 | 65.87 |  |
| 0.7 | -5.19 | 49.76 | 58.19 | 60.30 | 61.56 |  |
| 0.75 | -3.48 | 45.34 | 52.57 | 54.15 | 55.03 |  |
| 0.8 | -1.89 | 38.32 | 43.84 | 44.92 | 45.52 |  |

Table 4: Accuracy values according to the threshold and margin values.
The Figure 4 illustrates the variation of the Accuracy according to the threshold value for different margin values.

In Figure 4, the accuracy values for margin equal to 0 can be explained by the fact that the numbers of insertions and deletions are very high (very few frames of estimated boundaries exactly correspond to the true ones). When the threshold value increases, there are


Figure 4: Accuracy curves according to the threshold for the margin equal to $0,1,2,3,4$.
less insertions because there are less local maxima above a high threshold and the number of deletions does not really change. That is why the value of the accuracy increases with the threshold.
The other curves illustrate the fact that, when the threshold value increases, the number of insertions decreases significantly but the Deletion increases more rapidly. So, for a given value of the margin, the accuracy decreases while the threshold increases.

For instance, if threshold $=0.7$ and margin $=2$, for the 1344 testing files (example II):
Number of true boundaries $=53006$
Insertion $=2770$
Deletion $=19390$
Accuracy $=58.19$
Percentage of deletion $=36.58$

The percentage of deletion indicates the ratio of true boundaries which cannot be found among the estimated ones.

$$
\text { Percentage of Deletion }(\%)=100 * \frac{D}{V}
$$

with: $\quad \mathrm{N}$ total number of real boundaries
D number of deletions

Tables 5 and 6 show the variations of the Accuracy according to the margin value for different threshold values.

With the Figures 5 and 6 , it seems that the best values are about 3 for the margin and about 0.5 for the threshold. Indeed, the curve for threshold equal to 0.6 is a mark to be able to compare these two figures. Consequently, the curve for the threshold 0.5 is the highest one.

However, the problem is to reduce the number of deletions. Indeed if the insertion is high, it is not so important because it is always possible to say that a frame is not a boundary of a phoneme, whereas if one frame is not in the list of the possible boundaries it will never be considered as a possible one, here is the real problem.


Figure 5: Accuracy values according to the margin for the threshold values from 0.4 to 0.6 .


Figure 6: Accuracy values according to the margin for the threshold values from 0.6 to 0.8 .

### 3.2 Second Idea: two thresholds and a margin

### 3.2.1 Conception

To decrease the number of deletions, the number of points which are considered as estimated boundaries has to be risen. To find new estimated points, a second threshold needs to be used. Now, what is called estimated boundary is each point above the upper threshold and each local maximum between the two thresholds.

In this case, the number of deletions is considerably decreased but the number of insertions is increased.

Explanation of the results obtained for the example I illustrated with Table 7 (upper threshold $=0.7$, lower threshold $=0.1$ ):

- The true boundaries are at the frames: $0,12,17,26,32,39,41,48,51,57,62,71,79$, 86, 100.
- The estimated boundaries are at the frames: $0,13,17,18,19,20,27,32,33,34,35$, $38,39,40,47,48,49,52,53,54,55,56,57,58,60,63,69,70,71,72,73,78,79,80$,


Figure 7: Curves of the true and estimated probabilities to have a boundary in each frame with the two thresholds

$$
\begin{array}{ll} 
& 81,86,92,100 \\
& \\
\text { - } 15 \text { True boundaries } \\
\text { - for margin }=0 & \text { Insertion }=28 \\
& \begin{array}{l}
\text { Deletion }=5(\text { frames } 12,26,31,41,51) \\
\text { Accuracy }=-120.00 \\
\text { - for margin }=2
\end{array} \\
\begin{array}{l}
\text { Insertion }=23 \\
\\
\\
\\
\text { Deletion }=0 \\
\text { Accuracy }=-53.33
\end{array}
\end{array}
$$

For margin $=2$, the Deletion is lower because more frames can correspond to a true boundary. There are more possibilities to find an estimated boundaries among 5 frames than among 3 .

### 3.2.2 Results

For the example II: Upper threshold $=0.7$

$$
\text { Lower threshold }=0.1
$$

$$
\text { Margin }=2
$$

For these 1344 testing data files, the results are:
Number of true boundaries $=53006$
Insertion $=81044$
Deletion $=2118$
Accuracy $=-56.89$
Percentage of deletion $=4.00$

The accuracy is negative because the Insertion is very high. The positive point is the low value of the deletion which is underlined by the percentage of deletions.
With these results, it is possible to compare the impact of the number of cycles.

For the following values: Upper threshold $=0.7$
Lower threshold $=0.1$

Margin $=2$
We obtain the results of the Figure 5 according the number of cycles to run the RNN network.

| Nb cycles | Insertion | Deletion |
| :--- | :---: | :---: |
| 20 | 52752 | 5724 |
| 50 | 67795 | 2608 |
| 100 | 81044 | 2118 |
| 200 | 76521 | 2278 |

Table 5: Number of Insertions and Deletions according the number of cycles of the RNN network.


Figure 8: The number of Insertions and Deletions depending on the number of cycles of the RNN network.

These two graphs of Figure 8 lead to the conclusion that when the number of cycles increases to 200 cycles, the number of insertion decreases which is necessary for this work because it is too high. We can see that, for a RNN run on 200 cycles, the number of deletions is higher than for a RNN run on 100 cycles. As it is important to obtain a number of deletions as low as possible, we will continue with the network run on 100 cycles.

As we have seen, the number of insertions is too high. More the insertion is high, more it will be long and difficult to carry out the identification of the phonemes because the system will have to try all the combinations possible.

### 3.3 Third Idea: two thresholds, a margin and a step

### 3.3.1 Conception

To reduce the number of insertions without reducing the number of deletions, the system carries on using the three parameters (the two thresholds and the margin) as they are used till now. It is added another one with is called "step" and this one will allow the reduction of the insertion.

With the value step, we consider a ratio " $1 /$ step" for all the following points above the upper threshold without counting the local maxima above the upper threshold. Indeed, when for instance the value of the step is 2 and there are 5 following points above the upper threshold, we only consider the first one, the third one and the fifth one as possible (or estimated) landmarks, if one of those points is a local maximum, we just do as if there was no point. If in
this example the fourth point is a local maximum, then we only consider the first one, the third one.

Explanation of the results that are obtained for the example I (upper threshold $=0.7$, lower threshold $=0.1$, margin $=0$ ):

- The true boundaries are at the frames: $0,12,17,26,32,39,41,48,51,57,62,71,79$, 86, 100.
- The estimated boundaries are at the frames: $0,13,17,18,19,20,27,32,33,34,35$, $38,39,40,47,48,49,52,53,54,55,56,57,58,60,63,69,70,71,72,73,78,79,80$, 81, 86, 92, 100.
- 15 True boundaries
- for step $=1 \quad$ Insertion $=28$

Deletion $=5$
Accuracy $=-120.00$

- for step $=2$ now the estimated boundaries are : $0,13,17,19,27,32,34,38,39,47$,
$48,52,54,56,57,60,63,69,71,73,78,79,81,86,92,100$.
Insertion $=16$
Deletion $=5$
Accuracy $=-40.00$

For step $=2$, the Insertion is lower because less frames are considered as estimated boundaries. The deletion is not reduced, because there are still enough frames in the list of the estimated boundaries and, with margin $=2$, each true boundary can find an estimated one among 5 frames. If those 5 frames are above the upper threshold without being local maxima, then those 5 frames are changed in a list of 3 frames. Using the parameters margin and step, we have to be careful not to miss some estimated boundaries. For instance, if margin equals 1 , the step must not be higher than 2 , otherwise it is possible that some estimated boundaries would miss for the segmentation into phonemes.

### 3.3.2 Results - Insertion

The Table 6 shows the difference in the values of insertion for step 1 and for step 2 according to the values of the two thresholds, with margin equal to 2 . With the step value equal to 2 , the insertion is very reduced without spoiling the previous results.

The Figure 9 illustrates the fact that the number of insertions is decreased with a step equal to 2 . It is nearly divided by a factor 2 for every values. For instance, with the upper threshold equal to 0.7 and the lower threshold equal to 0.1 with the margin 2, the insertion value was 81044 with step 1 and becomes 49953 with step 2 . It is a huge gain in the number of estimated boundaries.

### 3.3.3 Results - Accuracy

Consequently, the accuracy value is also changed in a positive way (Table 7).
The Table 10 underlines the fact that the values of the accuracy are better when the step value equals 2. Indeed the number of insertions is lower in every cases, the number of deletions is not changed nor the number of true boundaries.

|  | Lower threshold |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Upper threshold | 0.0 | 0.05 | 0.1 | 0.15 | 0.2 |  |
| 0.5 | 147841 | 147841 | 147564 | 142635 | 137360 |  |
|  | 84637 | 84637 | 84360 | 79431 | 74161 |  |
| 0.55 | 130360 | 130360 | 130083 | 125155 | 119885 |  |
|  | 74499 | 74499 | 74222 | 69295 | 64028 |  |
| 0.6 | 113414 | 113414 | 113137 | 108210 | 102944 |  |
|  | 65627 | 65627 | 65350 | 60423 | 55159 |  |
| 0.65 | 97073 | 97073 | 96796 | 91869 | 86605 |  |
|  | 57596 | 57596 | 57319 | 52392 | 4712 |  |
| 0.7 | 81321 | 81321 | 81044 | 76120 | 70858 |  |
|  | 50230 | 50230 | 49533 | 45029 | 39768 |  |
| 0.75 | 66166 | 66166 | 65889 | 60966 | 55707 |  |
|  | 43315 | 43315 | 43038 | 38116 | 32858 |  |
| 0.8 | 52069 | 52069 | 51792 | 46869 | 41613 |  |
|  | 37704 | 37704 | 37427 | 32505 | 27249 |  |

Table 6: Insertion values according to the two thresholds with step $=1$ (first line) and step $=2$ (second line).

### 3.3.4 Results - Reducing rate

To find the best set of parameters, several criteria become important. The first one was not to have a too big number of deletions because those points could not be used as possible boundaries anymore. The second one was to reduce the number of inserted points among the possible boundaries in order not to have too many points to check during the identification of the phonemes. These reasons lead to the introduction of a new rate : Reducing rate.

It is defined:

$$
\text { Reducing Rate }(\%)=100 * \frac{N+I-D}{N b_{-} \text {frame }}
$$

with: N total number of real boundaries
I number of insertions
D number of deletions
Nb_frame number of frames in the data files

It corresponds to the percentage of frames that will be checked for the identification of the phonemes.

The Table 8 indicates the values of the reducing rate for the step equal to 2 and the margin equal to 2 , and it shows the gain of points to be examined to find the best boundaries for the phonemes.

The reducing rate (Figure 11) is much better for a step equal to 2 because they are less frames that will have to be checked to find the boundaries of the phonemes. The best rate is 18.67, it is obtained with 0.2 as the lower threshold and 0.8 as the upper threshold. Indeed the insertion is the less high for these values, but the deletion is a bit too high. May be the best set of parameters is around 0.7 for the upper threshold, 0.1 for the lower threshold, 2 for the margin, 2 for the step.

With a higher value for the parameter "step", the deletion increases because some true boundaries do not have their equivalent among the estimated ones anymore.

$$
\begin{aligned}
& \text { step }=1 \\
& \text { step }=2 \cdots
\end{aligned}
$$



Figure 9: Insertion values according to the two thresholds with step $=1$ and step $=2$.

$$
\text { Accuracy }=f(\text { Upper Threshold, Lower Threshold })
$$



Figure 10: Accuracy values according to the two thresholds with step $=1$ and step $=2$.

### 3.3.5 Results - Example

Here are the results for the example II with step $=2$ (to be compared with the results of the previous sections):

For the 1344 testing files, the results are:
Number of true boundaries $=53006$
Insertion $=49953$
Deletion $=2118$ (it has not changed since the latter results)
Accuracy $=1.76$
Percentage of deletion $=4.00$

|  | Lower threshold |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Upper threshold | 0.0 | 0.05 | 0.1 | 0.15 | 0.2 |  |
| 0.5 | -180.75 | -180.75 | -180.23 | -171.05 | -161.50 |  |
|  | -61.51 | -61.51 | -60.99 | -51.81 | -42.27 |  |
| 0.55 | -148.21 | -148.21 | -147.69 | -138.52 | -128.98 |  |
|  | -42.82 | -42.82 | -42.30 | -33.13 | -23.60 |  |
| 0.6 | -116.73 | -116.73 | -116.21 | -107.04 | -97.52 |  |
|  | -26.57 | -26.57 | -26.05 | -16.88 | -7.37 |  |
| 0.65 | -86.48 | -86.48 | -85.96 | -76.79 | -67.28 |  |
|  | -12.00 | -12.00 | -11.48 | -2.31 | 7.20 |  |
| 0.7 | -57.41 | -57.41 | -56.89 | -47.73 | -38.23 |  |
|  | 1.25 | 1.25 | 1.76 | 10.92 | 20.42 |  |
| 0.75 | -29.78 | -29.78 | -29.26 | -20.11 | -10.62 |  |
|  | 13.33 | 13.33 | 13.85 | 23.00 | 32.49 |  |
| 0.8 | -4.43 | -4.42 | 3.91 | 5.25 | 14.73 |  |
|  | 22.67 | 22.67 | 23.19 | 32.35 | 41.83 |  |

Table 7: Accuracy values according to the two thresholds with step $=1$ (first line) and step $=2$ (second line).

Now, we have elaborated a good way to find the frames which may be boundaries of phonemes in our set of data (sentences). Nevertheless, these estimated boundaries are only a stage in the process. Indeed, it is important to know how many good phonemes could be found with the set of estimated phonemes created.

|  | Lower threshold |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Upper threshold | 0.0 | 0.05 | 0.1 | 0.15 | 0.2 |
| 0.5 | 48.65 | 48.65 | 48.58 | 47.36 | 46.03 |
|  | 33.48 | 33.48 | 33.42 | 32.20 | 30.87 |
| 0.55 | 44.33 | 44.33 | 44.27 | 43.05 | 41.72 |
|  | 30.93 | 30.93 | 30.86 | 29.65 | 28.31 |
| 0.6 | 40.15 | 40.15 | 40.08 | 38.86 | 37.53 |
|  | 28.67 | 28.67 | 28.61 | 27.39 | 26.06 |
| 0.65 | 36.10 | 36.10 | 36.03 | 34.81 | 33.48 |
|  | 26.61 | 26.61 | 26.54 | 25.32 | 23.99 |
| 0.7 | 32.18 | 32.18 | 32.11 | 30.89 | 29.56 |
|  | 24.68 | 24.68 | 24.61 | 23.40 | 22.06 |
| 0.75 | 28.37 | 28.37 | 28.30 | 27.08 | 25.75 |
|  | 22.84 | 22.84 | 22.77 | 21.55 | 20.22 |
| 0.8 | 24.77 | 24.77 | 24.71 | 23.49 | 22.16 |
|  | 21.29 | 21.29 | 21.22 | 20.01 | 18.67 |

Table 8: Reducing rate values according to the two thresholds with step $=1$ (first line) and step $=2$ (second line).

$$
\text { Reducing Rate }=\mathrm{f}(\text { Upper Threshold, Lower Threshold })
$$

$$
\begin{aligned}
& \text { step }=1 \\
& \text { step }=2 \cdots
\end{aligned}
$$

Reducing rate


Figure 11: Reducing rate values according to the two thresholds with step $=1$ and step $=$ 2.

## 4 How to find the good phonemes with the set of possible boundaries

As it will be too long to consider all the possible combinations of the boundaries to find the phonemes, it is necessary to choose some of them as "compulsory boundaries". Indeed, if there was no difference among the possible boundaries, the first phoneme would begin at the first phoneme and it would end at the second, third, fourth... or any frame else; then the second phoneme would begin at this frame end would end at any other one,... The system would have to find all the possibilities of combinations.

### 4.1 First Idea: two kinds of estimated boundaries

### 4.1.1 Conception

To reduce the number of possible combinations to find the phonemes, we have created two series of estimated boundaries:

- Main boundaries: these boundaries are the local maxima above the upper threshold.
- Second boundaries: they are the estimated boundaries which are not "main boundaries".

As they are local maxima above the upper threshold, the main boundaries seem to be more surely boundaries of landmarks. That is the reason why we have chosen these frames to be, in a way, some barriers in the search of the phonemes. Indeed, one phoneme would never be demarcated by two boundaries between which there is a main boundary.

Here is an example to illustrate this rule:
Considering that there are main boundaries at the frames $46,65,90$, and second boundaries at the frames $49,56,70,84$.

- From the main boundary 46: The phonemes whose boundaries are 46-49, 46-56, 46-65 may exist. However it is impossible to consider the following phonemes: 46-70, 46-84 and 46-90 because there is a main boundary, frame 46 , between the frames demarcating the phonemes.
- From the second boundary 49: The phonemes whose boundaries are 49-56 and 49-65 may exist. However it is impossible to consider the following phonemes: 49-70, 49-84 and 49-90 because there is a main boundary, frame 46, between the frames demarcating the phonemes.

Explanation of the results that are obtained for the example I (upper threshold $=0.7$, lower threshold $=0.1$, step $=2$, margin $=2$ ):

- The true boundaries are at the frames: $0,12,17,26,32,39,41,48,51,57,62,71,79$, 86, 100.
- The estimated boundaries are at the frames: $0,13,17,18,20,27,32,34,38,39,47$, $48,52,53,55,57,60,63,69,71,72,78,79,81,86,92,100$.
- 15 True boundaries
- 10 main boundaries (frames: $0,18,34,39,48,53,55,57,72,79$ )
- 17 second boundaries (frames: 13, 17, 20, 27, 32, 38, 47, 52, 60, 63, 69, 71, 78, 81, 86, 92,100 )

After each main boundary, the meter concerning the "step" is put to 0 , that is why a second boundary will never follow a main boundary immediately. This system splits the problem to find the boundaries of the phonemes from a very large scale to several smaller sets of frames. It is easier to find the phonemes from the frame 0 to the frame 18 , from 18 to $34 \ldots$ than between the two ends of each file.

### 4.1.2 Results

Now we can look at the results concerning phonemes for the example II.
Results: 51662 True phonemes (i.e. in the original data)
42852 Good phonemes (i.e. estimated.phonemes which correspond to
original ones)
7338 Created phonemes (i.e. which do not exist in the original data)
50190 Estimated phonemes (good phonemes + created phonemes)
Percentage of good phonemes (among the true ones): 82.95

The percentage of good phonemes corresponds to:

$$
\text { Percentage of good phonemes }(\%)=100 * \frac{\text { Good phonemes }}{\text { True phonemes }}
$$

The percentage of the good phonemes in the example is not very high compared with the value that could have been expected. Indeed, the percentage of deletion for the boundaries was equal to 4.00 , so there was $100-4.00=96.00$ per cent of the true boundaries which could be found among the estimated ones.

These results of Example II can be explained as follows:

1. If two main boundaries correspond to true ones and if between them another main boundary does not correspond to any true one, then it is inserted between two true boundaries. By counting the number of inserted boundaries there is only one frame; but two phonemes are created whereas, in the data file, there was only one phoneme. One main boundary "inserted" may lead to the creation of two phonemes.
2. On the contrary, if there is no estimated boundary corresponding to a true one, the number of false boundaries will be one but the number of false phonemes will be 2 . Indeed, there would be only one phoneme which does not correspond to any of the two true phonemes.

We think these are the main reasons to explain the low percentage of good phonemes.
The next stage is to reduce the number of created phonemes and at the same time to increase the number of good phonemes.

### 4.2 Second Idea: too close main boundaries should be considered as second ones

### 4.2.1 Conception

The idea consists in:
When there are two main boundaries which are not more far than a given distance (new parameter) and if all points between them are values above the upper threshold then, they
are considered as second landmark.

The parameter "distance" corresponds to the number of frames that are needed to space out two main boundaries. The distance parameter equal to 1 corresponds to the previous tries because the main boundaries are local maxima, so two main boundaries can not follow each other except if they have the same values.

It is true that the number of estimated boundaries is increased just a little by the fact that we have considered as following points above the upper threshold the points which are local maxima above the upper threshold (the point just after a local maximum is not removed automatically anymore). The lists of main and second boundaries have changed a little. Some frames which were before considered as main boundaries have turned to second boundaries because two frames in the main list were too close.

The performances are improved because sometimes two local maxima, only separated by one frame, correspond to one true boundary and such a configuration creates too many and false phonemes in the segmentation into phonemes.

Explanation of the results that are obtained for the example I (upper threshold $=0.7$, lower threshold $=0.1$, step $=2$, margin $=2$ ):

- The true boundaries are at the frames: $0,12,17,26,32,39,41,48,51,57,62,71,79$, 86, 100.
- The estimated boundaries above the upper threshold are at the frames: $0,17,18,20$, $32,34,38,39,47,48,52,53,55,57,69,71,72,78,79,81$.
- The estimated boundaries between the two thresholds are at the frames: 13, 27, 60, 63, 86, 92, 100.
if distance $=1:-15$ True boundaries, 14 True phonemes
- 10 main boundaries (frames: $0,18,34,39,48,53,55,57,72,79$ )
- 17 second boundaries (frames: $13,17,19,27,32,38,40,47,49,52$,
$54,56,58,60,63,69,71,73,78,80,86,92,100)$
- 14 good phonemes, 1created phoneme.
if distance $=2:-15$ True boundaries
- 10 main boundaries (frames: $0,18,34,39,48,72,79$ )
- 17 second boundaries (frames: $13,17,19,27,32,38,40,47,49,52$,
$53,55,57,58,60,63,69,71,73,78,80,86,92,100)$
- 14 good phonemes, 0 created phoneme.


### 4.2.2 Results - Reducing rate

With Figure 12 we can see that, for a constant value of the lower threshold, the reducing rate decreases from the lowest values of the upper threshold to the highest one. There is a break in the shapes of the curves between the values 0.7 and 0.75 . The difference between the reducing rates for a high value of the upper threshold and for a lower one is quite big, nearly 14 points from $34 \%$ to $20 \%$. On the contrary, for a given value of the upper threshold, the difference between the reducing rates for a low value of the lower threshold and for a higher one is quite slight, about 2 points from $34 \%$ to $32 \%$ for instance. Consequently, it seems that it is not very important to decide which value between 0 and 2 is the good one for the lower threshold whereas it is very important to choose carefully the value of the upper threshold between 0.5 and 0.8 .

|  | Lower threshold |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Upper threshold | 0.0 | 0.05 | 0.1 | 0.15 | 0.2 |
| 0.5 | 88.83 | 88.83 | 88.82 | 88.58 | 87.81 |
|  | 34.99 | 34.99 | 34.92 | 33.71 | 32.37 |
| 0.55 | 88.38 | 88.38 | 88.37 | 88.12 | 87.34 |
|  | 33.16 | 33.16 | 33.09 | 31.87 | 30.54 |
| 0.6 | 87.89 | 87.89 | 87.89 | 87.65 | 86.88 |
|  | 31.32 | 31.32 | 31.26 | 30.04 | 28.70 |
| 0.65 | 87.21 | 87.21 | 87.21 | 86.98 | 86.22 |
|  | 29.44 | 29.44 | 29.38 | 28.16 | 26.82 |
| 0.7 | 86.22 | 86.22 | 86.21 | 85.99 | 85.24 |
|  | 27.35 | 27.35 | 27.28 | 26.06 | 24.73 |
| 0.75 | 84.57 | 84.57 | 84.57 | 84.35 | 83.60 |
|  | 25.04 | 25.04 | 24.97 | 23.76 | 22.42 |
| 0.8 | 82.06 | 82.06 | 82.06 | 81.87 | 81.17 |
|  | 22.71 | 22.71 | 22.64 | 21.42 | 20.09 |

Table 9: Percentage of good phonemes (first line) and Reducing rate (second line) according to the two thresholds with distance $=2$.

### 4.2.3 Percentage of good phonemes

The same observation (Figure 13) can be done for these curves. The choice of the lower threshold does not need to be very accurate between 0 and 0.2 . In Table 9 , the highest value of success in the segmentation is $88.83 \%$ and the lowest one is $81.17 \%$. The curves have also a strong break around the upper threshold 0.7 .
The Figure 13 underlines the fact that for a high value of the upper threshold (above 0.7) the percentage of the good phonemes is not so different between distance equal to 1 and distance equal to 2. This is due to the low number of frames above the upper threshold.

So we think that 0.7 may be the right value for the upper threshold because the reducing rate is not too high and the results are not too bad (about $85 \%$ of the original phonemes are demarcated correctly).

### 4.2.4 Results - Distance

|  | Distance |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| Upper threshold | 1 | 2 | 3 | 4 |
| 0.5 | 87.63 | 88.83 | 90.05 | 90.66 |
| 0.55 | 87.54 | 88.38 | 89.26 | 89.57 |
| 0.6 | 87.33 | 87.89 | 88.47 | 88.68 |
| 0.65 | 86.85 | 87.21 | 87.53 | 87.63 |
| 0.7 | 86.07 | 86.22 | 86.37 | 86.41 |
| 0.75 | 84.54 | 84.57 | 84.63 | 84.59 |
| 0.8 | 82.06 | 82.06 | 82.07 | 82.05 |

Table 10: Percentage of good phonemes according to the values of the distance and the upper threshold (lower threshold $=0.1$ ).

In Figure 14, when the value of the upper threshold is lower than 0.7 , the performance of the segmentation is improved with a high value of distance. Indeed, more estimated boundaries are considered as second ones, so there are less mistakes (less insertions because less frames

$$
\text { Reducing rate }=f(\text { Upper Threshold, Lower Threshold })
$$



Figure 12: The Reducing rate with distance equal to 2 according to the two thresholds.
are forced to be boundaries).
The break around the value 0.7 can be explained by the fact that if the upper threshold is too high a lot of frames are not in any lists of estimated boundaries whereas they correspond to a true one (we have seen before that for such values the number of deleted boundaries was too high).

|  | Reducing rate |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| Upper threshold | 1 | 2 | 3 | 4 |
| 0.5 | 35.51 | 34.92 | 33.93 | 33.06 |
| 0.55 | 33.57 | 33.09 | 32.30 | 31.58 |
| 0.6 | 31.63 | 31.26 | 30.66 | 30.15 |
| 0.65 | 29.67 | 29.38 | 28.96 | 28.61 |
| 0.7 | 27.48 | 27.28 | 27.02 | 26.84 |
| 0.75 | 25.08 | 24.97 | 24.82 | 24.75 |
| 0.8 | 22.68 | 22.64 | 22.58 | 22.56 |

Table 11: Reducing rate according to the values of the distance and the upper threshold (lower threshold $=0.1$ ).

In Figure 15, the break around 0.7 is explained by the same reasons as just before. As there are much few estimated boundaries, the reducing rate is much better (lower).

### 4.2.5 Results - Example

The example II has new results which are improved with the new parameter
distance equal to 2 .
Results: 51662 True phonemes (i.e. in the original data)
44540 Good phonemes (i.e. estimated phonemes which correspond to original ones)

5501 Created phonemes (i.e. which do not exist in the original data) 50041 Estimated phonemes (good phonemes + created phonemes)
Percentage of good phonemes (among the true ones): 86.21


Figure 13: The percentage of good phonemes with distance equal to 2 according to the two thresholds.

Reducing rate 27.28

The percentage of good phonemes is a bit better (it was $86.07 \%$ ) and the reducing rate is not increased (it was $27.48 \%$ ). Indeed, there is approximately the same number of estimated boundaries. We think that what is also important is to see that the number of the phonemes which are created and which do not correspond to true ones has been significantly reduced. Without this notion of distance, it was equal to 6687 so it has been reduced of about 1000 phonemes.


Figure 14: Percentage of the good phonemes for different values of the parameter distance (lower threshold $=0.1$ ).


Figure 15: Reducing rate for different values of the parameter distance (lower threshold $=$ 0.1 ).

## Part II

## Recognizer

## 5 Speech Recognition Based on Polynomial Segment Models

We have obtained a list of the possible boundaries of the phonemes. Now, we have to find the "best" path to go from the first frame to the last one for each file. In order to evaluate this path, that is to say to find the most likely succession of phonemes, we use the Maximum Likelihood.

### 5.1 Structure of the network

The network built for the detection of the phonemes has to respect strict rules:

- In the list of the possible boundaries, there are main boundaries and second boundaries. The main boundaries are crossed through by all paths.
- If two second boundaries are too close from each other (less than 1 frame between them), there is no link between them (cf. Figure 16 between node 3 and node 4). This is due to the latdec program that we will use (see part 7.5.2).
- The dictionary contains 61 phonemes. Between two nodes (i.e. two boundaries), we have to calculate the Likelihood for each phoneme in order to choose which one is the best.
- The best path will be the one with maximizes the likelihood.
- From the last node and the values of likelihood obtained, it is possible to find the best path by coming back through the nodes.


Figure 16: Representation of the network of the nodes with main and second boundaries
To decrease the computation time, it was not necessary to keep the second boundaries which are too close to a main one in the list of the nodes. Indeed, there would have been no link between each of them and the preceding or following main boundary. As we have seen before all paths cross over all the main boundaries, so the paths crossing such second nodes cannot be possible.

### 5.2 Polynomial Segment Model

To find the best path, that is to say the path closest to the original one, we have to calculate the maximum likelihood for each link [2].

First, we can model each feature dimension of a speech segment as:

$$
\begin{equation*}
c(n)=\mu(n)+e(n) \quad \text { for } n=1, \ldots, N \tag{1}
\end{equation*}
$$

where $c(n)$ are the observed cepstral features in segment of length $N, \mu(n)$ are the mean features as functions of frame number and represent the dynamics of the features in the segment, and e(n) are the residual error terms.

If we use a matrix notation (example with a quadratic function of time), we will have:

$$
\begin{align*}
\mu(n) & =b_{1}+b_{2} n+b_{3} n^{2} \quad \text { for } n=1, \ldots, N  \tag{2}\\
& =\underline{z}^{\prime} \cdot \underline{b}
\end{align*}
$$

where $\underline{z}^{\prime}=\left[1 \mathrm{n}^{2}\right]$ and $\underline{b}^{\prime}=\left[\begin{array}{lll}b_{1} & b_{2} & b_{3}\end{array}\right]$.
If the speech segment has a duration of $N$ frames which are represented by $D$ dimensional feature vectors, we can use a matrix notation to express the segment:

$$
C=\left[\begin{array}{ccc}
c_{1,1} & \ldots & c_{1, D}  \tag{3}\\
c_{2,1} & \ldots & c_{2, D} \\
\vdots & & \vdots \\
c_{N, 1} & \ldots & c_{N, D}
\end{array}\right]=\left[\begin{array}{lll}
\underline{C}_{1} & \ldots & \underline{C}_{D}
\end{array}\right]
$$

So Equation 1 can be modeled as follows:

$$
\begin{equation*}
C=Z B+E \tag{4}
\end{equation*}
$$

where $Z$ is a $N \times R$ design matrix, $B$ is a $R \times D$ trajectory parameter matrix, and $E$ is a residual error matrix. $R$ is the number of parameters in the trajectory model ( $R=1$ linear, $R=2$ linear, $R=3$ quadratic).

The matrix equation 4 can be written for each feature dimension i:

$$
\begin{equation*}
\underline{C}_{i}=Z \underline{B}_{i}+\underline{E}_{i} \quad \text { for } i=1, \ldots, D \tag{5}
\end{equation*}
$$

where $\underline{B}_{i}$ is a $R \times 1$ trajectory vector for feature $\mathrm{i}, \underline{E}_{i}$ is a residual error vector for feature i , and $Z \underline{b}_{i}$ is the trajectory component for feature i analogous to $\mu(\mathrm{n}), \mathrm{n}=1, \ldots, \mathrm{~N}$ in Equation 2.

As an example, for a quadratic trajectory model and a segment with $N$ frames:

$$
\left[\begin{array}{c}
c_{1, i}  \tag{6}\\
c_{2, i} \\
\vdots \\
c_{N, i}
\end{array}\right]=\left[\begin{array}{ccc}
z_{1,1} & z_{1,2} & z_{1,3} \\
z_{2,1} & z_{2,2} & z_{2,3} \\
\vdots & \vdots & \vdots \\
z_{N, i} & z_{N, 2} & z_{N, 3}
\end{array}\right]\left[\begin{array}{c}
b_{1, i} \\
b_{2, i} \\
b_{3, i}
\end{array}\right]+\left[\begin{array}{c}
e_{1, i} \\
e_{2, i} \\
\vdots \\
e_{N, i}
\end{array}\right] \quad \text { for } i=1, \ldots, D
$$

or

$$
\begin{gather*}
c_{n, i}=z_{n, 1} b_{1, i}+z_{n, 2} b_{2, i}+z_{n, 3} b_{3, i}+e_{n, i}  \tag{7}\\
\text { for } n=1, \ldots, N \text { and } i=1, \ldots, D \tag{8}
\end{gather*}
$$

Given the segment model in the Equation 4, assuming that the errors are independent and identically distributed (normal with covariance $\Sigma$ ), the Maximum Likelihood estimate of the trajectory parameter matrix, $\widehat{B}_{k}$, is given by the linear least squares estimate:

$$
\begin{equation*}
\widehat{B}_{k}=\left[Z_{k}^{\prime} Z_{k}\right]^{-1} Z_{k}^{\prime} C_{k} \tag{9}
\end{equation*}
$$

for a segment k with data matrix, $C_{k}$, and design matrix, $Z_{k}$.
With $\widehat{B}_{k}$ estimated, the residual covariance matrix for the segment, $\widehat{\Sigma}_{k}$, is given by:

$$
\begin{equation*}
\widehat{\Sigma}_{k}=\frac{\widehat{E}_{k}^{\prime} \widehat{E}_{k}}{N_{k}}=\frac{\left(C_{k}-Z_{k} \widehat{B}_{k}\right)^{\prime}\left(C_{k}-Z_{k} \widehat{B}_{k}\right)}{N_{k}} \tag{10}
\end{equation*}
$$

where $N_{k}$ is the number of frames in segment k .
After parameter estimation, each segment is replaced by its set of statistics: ( $\widehat{B}_{k}, \widehat{\Sigma}_{k}$, $N_{k}$ ). This collection of parameters is sufficient to calculate the likelihood of the frames compromising the original segment (to know more abut the Estimation Model, see [2]).


Figure 17: Temporal variation of Cepstral features C1 and C2 of a phoneme segment (curved line), and the fit of constant, linear, and quadratic trajectory models (dotted lines) to the features.

## 6 Latdec program

### 6.1 Conception

The Latdec program, made by M.Bacchiani and M. Ostendorf [5] [1] , gives the best (maximum likelihood) path in the input file in order to demarcate the phonemes and to identify them.

The inputs are a mfccfile and a lattice file. The mfcc file contains the waveform of the sentence and the lattice file lists all the nodes of the mfcc_file and the links that exist between them (cf "structure of the network" page 25). The lattice file has the following structure:

```
NODES=number of nodes in this sentence
LINKS=number of links between second, main and second, and main
I=1 number of this node
time=number of this frame expressed in seconds
I=
time=
J=1 number of this link
START=number of the node in which this link starts
END=number of the node in which this link ends
WORDID=identification number of a phoneme of the phoneme alphabet
J=
START=
```

It creates a file with the numbers of the frames in which each phoneme starts and ends and the phoneme identified between those boundaries. With such files, it is possible to obtain the results in terms of accuracy and percentages of good sentence and good phones.

### 6.2 First results

First, we have tested these programs with the testing data trained on 100 cycles with the RNN whose structure was made with 20 forward and backward states.

The results for 100 cycles are not as good as we hope because the latdec program does not only compare the numbers of the possible boundaries, but it evaluates the maximum likelihood by comparing the waveform of the testing data between two boundaries with the 61 phonemes of a dictionary. It has to find which phoneme fits the best the part of the waveform demarcated by the boundaries. So it is not only a problem of boundaries, but also a problem of the distortion of the original waveform.

In order to obtain best results, we have tried with the testing data trained on the RNN with 200 cycles and the same structure as the previous one. Table 12 shows these results for the two networks with only one threshold and main boundaries.

Table 12 can let us hope that the results with more iterations in the RNN may give slightly better results.

|  | Threshold |  |  |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Nb cycles | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 | 0.9 |  |
| 100 cycles | 8.10 | 21.63 | 28.72 | 34.17 | 36.22 | 35.75 | 32.90 | 23.76 | 4.75 |  |
| 200 cycles | 12.96 | 25.63 | 31.59 | 35.98 | 36.84 | 36.22 | 32.54 | 24.71 | 5.90 |  |

Table 12: Accuracy of the testing data of the directory drl for different kinds of RNN and only one threshold to demarcate the main boundaries of the phonemes.

There are quite a lot of parameters that may improve the performance of the system and each of them will be examined in the next paragraphs. This is a list of these parameters that should be taken into account.

- Value for the parameter -D in the latdec program.
- Number of iterations for the RNN.
- Change in the probabilities for frames to be boundaries as outputs of the RNN.
- Structure of the RNN with hidden layers.

All results need to be compared with the results obtained with the HMM system with 3 states and 1 mixture for each of them. This should be calculated for the same testing data. The accuracy obtained with such a system for the directory dr 1 of the testing data is equal to $40.52 \%$, which is much better than the present results.

## 7 Improvements of the present system

In this section, the results are obtained with various kinds of RNN. The structure of these RNNs is made of 10 backward, 10 forward states and 10 hidden states when nothing is specified.

- When the results are obtained for 100 or 200 iterations, the RNNs were trained with only a sample of 200 sentences (whereas the full training set contains 3696 sentences).
- When the results are obtained for 500 or 1000 iterations, the RNNs were trained with the full training data.


### 7.1 Duration probability weighting

The parameter -D corresponds to the duration probability scaling. Indeed, the parameter is a coefficient that multiplies the time part of the likelihood of a segment.

For each segment (and for the 61 phones) the likelihood corresponds to:

$$
\begin{equation*}
\log \text { Likelihood }=\sum_{t=1}^{N_{1}} \log \left(P_{A}^{a a}(t)\right)+W * \log \left(P_{D}^{a a}\left(N_{1}\right)\right) \tag{11}
\end{equation*}
$$

with: aa One of the 61 phonemes
$N_{1}$ Length of the segment
$P_{A}$ Output Probability
$P_{D}$ Duration Probability
W Weight

The second part (duration factor) of Equation 11 is added in order to adjust dynamically the length of the phoneme to the likelihood. Indeed the length of the phoneme may be an element to identify it.

If $D=0$ then Weight $=0$, the duration of the phoneme does not take part of the estimation of the likelihood.
If $D=1$ then Weight $=1$, the likelihood only consider the logarithm of the duration of the phoneme; the longer a phoneme is, the less important the duration factor is.
If $D=-1$ then Weight $=N_{1}$, this factor adapts better the duration factor because it considers the length of the phoneme of the dictionary.

The different values of this parameter were tried (Table 13) on data which were obtained with a RNN, trained with a new kind of output data (values 1-0.5-0, see paragraph 7.3). We can see that the best value for this parameter seems to be -1 and, in this case, the maximum accuracy is reached for the threshold value 0.3 and is equal to $37.61 \%$.

|  | Threshold |  |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Parameter D | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 |  |
| 1 | 21.86 | 34.71 | 36.75 | 35.98 | 33.55 | 28.77 | 22.01 | 7.18 |  |
| 0 | 21.24 | 34.38 | 36.43 | 35.33 | 32.93 | 28.21 | 21.51 | 7.12 |  |
| -1 | 22.60 | 35.98 | 37.61 | 37.17 | 34.53 | 29.49 | 22.49 | 7.21 |  |

Table 13: Accuracy of the testing data of the directory dr1 for three values given to parameter D (RNN trained on 100 iterations).

As the results are much better with parameter D set to -1 , in the remaining part of this work, we will keep this value.

To improve the results of the Polynomial based recognition, we will try to improve the structure of the RNN by increasing the number of forward and backward states and adding hidden states. We will also try to change the output of the RNN in order to bring out the frames where there is a boundary.

### 7.2 Number of iterations

The problem is to know whether the increase of the number of iterations to train the Recurrent Neural Network influences the improvement of our work or not.
The test is done with data whose values should be 1-0.5-0 (outputs of the RNN network for the training, see paragraph 7.3) and with two numbers of iterations: 100 and 500.

|  | Threshold |  |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Nb. of Iterations | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 |  |
| 100 | 22.60 | 35.98 | 37.61 | 37.17 | 34.53 | 29.49 | 22.49 | 7.21 |  |
| 500 | 23.41 | 37.17 | 39.57 | 38.89 | 36.22 | 31.80 | 23.88 | 10.68 |  |

Table 14: Accuracy of the testing data of the directory dr1 for two numbers of iterations to train the RNN.

Table 14 underlines the fact that the increase of the number of iterations to train the Recurrent Neural Network improves the results regarding the accuracy. That is the reason why we will train a Recurrent Neural Network on 1000 iterations when we will have decided which parameters are needed. Indeed, such RNN is very long to train and it is not necessary to do it with different parameters if we know that they are not so good.

### 7.3 Output Data

At the beginning of this work, the structure chosen for the outputs of the RNN was the values: $1,0.75,0.5,0.25$ and 0 . The value " 1 " characterizes a boundary and the following frames have the other values in decreasing. It is possible to use other kinds of outputs as these sets: $1,0.5$ and 0 or 1 and 0 . Figure 7.3 illustrates those different ways to consider the outputs of the RNN.

With these three sets of outputs of the RNN, there are three different RNNs and their performance is not exactly the same.
Table 15 shows that the set $1,0.5$ and 0 gives the best performance concerning the accuracy. This can be explain by the fact that with the values 1 and 0 , the "jump" from the value 0 (i.e. no boundary) to the value 1 (i.e. boundary) is too fast, it does not last enough time so the local maxima for the testing data are not high enough. Concerning the original set we used, the way from 0 to 1 is too long and the boundary probability does not always has the value 0 between two boundaries, consequently the difference between boundary and no boundary is not large enough. This explains also that the threshold value giving the best results for each data set is changed.

As the best performance (accuracy: $39.57 \%$ ) is reached with the data set $1,0.5$ and 0 , the next experiment will be done with it.


Figure 18: Different ways to give values to the output of the RNN regarding boundaries. There are boundaries at frames $0,8,17,26,30,38,45$

|  | Threshold |  |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Probabilities | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 |  |
| $10.75 \quad 0.50 .250$ | 23.05 | 31.33 | 35.21 | 38.03 | 38.12 | 36.93 | 33.70 | 26.28 |  |
| 10.50 | 23.41 | 37.17 | 39.57 | 38.89 | 36.22 | 31.80 | 23.88 | 10.68 |  |
| 10 | 34.92 | 37.97 | 35.00 | 29.61 | 22.84 | 14.83 | 6.56 | 2.94 |  |

Table 15: Accuracy of the testing data of the directory dr1 for different kinds of outputs of the RNN (trained with 500 iterations with 10 hidden layers).

### 7.4 RNN structure

### 7.4.1 Forward and backward states

It is difficult to compare all the results obtain by a lot of different RNNs. We have decided to find the best number of forward and backward states first, and after we will try to find the best number of hidden states. These networks were trained with the small set of data to gain time ( 200 sentences).

Table 16 shows the values of Mininum Square Error (MSE) for different kinds of RNNs by changing the number of forward, backward and hidden states. To train a network with a lot of a states is longer than to train one with a few states. More, in this case, for a given number of hidden states, the networks with 30 or 40 forward and backward states do not converge very fast, they need more iterations to have a MSE-value lower than the MSE-value of the network which has only 10 forward and backward states. This can be pointed out for the training data as well as the testing data.
This is the reason why we will continue this work with a RNN made of 10 forward and 10 backward states.

If the number of forward and backward states does not change a lot the results, the number of hidden states, by augmenting, makes the MSE-value become lower. The difference between MSE-values for 10 hidden states and MSE-values for 40 hidden states can be quite high, about 0.01 for the testing data of the RNN with 10 forward and backward states

|  | Number of Hidden States |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| Number of Forward <br> and Backward States | 0 | 10 | 20 | 30 |
|  | $5.86 \mathrm{e}-02$ |  | $5.10 \mathrm{e}-02$ | $4.80 \mathrm{e}-02$ |
|  | $6.81 \mathrm{e}-02$ |  | $6.50 \mathrm{e}-02$ | $6.26 \mathrm{e}-02$ |
| $20-20$ | $6.37 \mathrm{e}-02$ |  | $4.91 \mathrm{e}-02$ | $4.68 \mathrm{e}-02$ |
|  | $7.77 \mathrm{e}-02$ |  | $7.11 \mathrm{e}-02$ | $6.67 \mathrm{e}-02$ |
| $30-30$ | $6.80 \mathrm{e}-02$ |  | $4.70 \mathrm{e}-02$ | $4.44 \mathrm{e}-02$ |
|  | $7.88 \mathrm{e}-02$ |  | $7.10 \mathrm{e}-02$ | $6.82 \mathrm{e}-02$ |
| $40-40$ | $7.56 \mathrm{e}-02$ |  | $4.98 \mathrm{e}-02$ | $5.67 \mathrm{e}-02$ |
|  | $8.62 \mathrm{e}-02$ |  | $6.81 \mathrm{e}-02$ | $7.03 \mathrm{e}-02$ |

Table 16: MSE-values for the training (first line) and testing (second line) data obtained with 500 iterations.
(Table 16).

### 7.4.2 Hidden states

We have chosen to use a Recurrent Neural Network made of 10 forward and 10 backward states and we know that the number of hidden states may have an important influence on the results. That is why we have tested the system for different number of hidden states ( 0 , $10,20,30$ ). Contrary to the latest tests, we use the all training data and the RNNs were trained on 500 or 1000 iterations.

Tables 17 and 18 show that the performance of the phoneme recognizer becomes better with a high number of hidden states. How ever the differences between the performance depending on those RNNs are less significant as the number of hidden states becomes high. Indeed, the number of hidden states has to be increased significantly to obtain the same difference of accuracy as between 0 and 10 hidden states (Figure 19).
With these tables, we can also conclude that the number of iterations (500 or 1000) to train the RNN does only have a little impact on the performance.

|  | Threshold |  |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Nb. Hidden states | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 |  |
| 0 | 19.37 | 34.65 | 37.67 | 37.14 | 34.17 | 29.43 | 21.89 | 9.70 |  |
| 10 | 23.41 | 37.17 | 39.57 | 38.89 | 36.22 | 31.80 | 23.88 | 10.68 |  |
| 20 | 26.85 | 38.03 | 40.08 | 39.42 | 36.75 | 32.13 | 23.64 | 10.65 |  |
| 30 | 27.11 | 37.59 | 40.14 | 39.19 | 37.02 | 32.81 | 25.66 | 11.60 |  |

Table 17: Accuracy of the testing data of directory dr 1 for various numbers of hidden states with a RNN network of 10 forward and 10 backward states trained on 500 iterations with the full set of training data.

The only point that can be improved now is the latdec program itself.

|  | Threshold |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Nb. Hidden states | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 |
| 0 | 19.13 | 33.79 | 36.52 | 36.52 | 34.08 | 28.89 | 22.04 | 10.68 |
| 10 | 24.47 | 37.35 | 39.87 | 38.86 | 36.49 | 31.95 | 23.49 | 10.68 |
| 20 | 27.65 | 38.59 | 40.31 | 39.60 | 36.96 | 32.75 | 24.95 | 10.98 |
| 30 | 26.85 | 38.09 | 40.70 | 39.66 | 37.53 | 33.17 | 26.13 | 11.48 |

Table 18: Accuracy of the testing data of directory drl for various numbers of hidden states with a RNN network of 10 forward and 10 backward states trained on 1000 iterations with the full set of training data.

Accuracy depending on the threshold for different numbers of hidden states in the RNN


Figure 19: Accuracy of the testing data (directory dr1) for various numbers of hidden $\operatorname{states}(0,10,20,30)$ with a RNN network of 10 forward and 10 backward states trained on 1000 iterations with the full set of training data.

### 7.5 Latdec program

### 7.5.1 Positive and negative time window

By changing the values of the parameters of the positive and negative time window, we tried to obtain best results.

Those parameters were set to 0 till now; by setting both of them to 1 , we increase the number of possible links between the nodes because the system considers the links between the frames just before and just after each node (Figure 20)


Figure 20: Representation of the network of the links between two nodes with parameters -b and -c set to 1 .

The results are not those expected. For instance for the RNN which has 10 forward, 10 backward and 20 hidden states, with the two thresholds set to 0.3 and considering 500 iterations for the training, the accuracy values obtained for the directory drl of the testing data are:
D is set to -1
b and c set to 0: $40.08 \%$
b and c set to 1: $39.69 \%$
b and c set to $2: 39.57 \%$

We were expecting better results than in the previous case, but the deletion and the substitution of phonemes increase whereas the number of phonemes well identified does not increase. The other problem is that it takes more time to run such a program with those links added.

### 7.5.2 Short segment evaluation

With the current latdec program, it is impossible to identify the phonemes of less than 3 frames, they are transformed into one main boundary. In the testing data we use, there are 3797 phonemes of 2 frames, so we have to add this case to the latdec program to be able to find them and to increase the accuracy. To calculate their likelihood, we use the mean values.

As we consider Second order PSM, the function is like this between the t-values 0 and 1 :

$$
\begin{equation*}
o(t)=a t^{2}+b t+c \tag{12}
\end{equation*}
$$

We can calculate the areas between 0 and 0.5 (s1), 0.5 and 1 ( s 2 ), and their mean values ( m 1 and m 2 respectively):

$$
s 1=\frac{a}{24}+\frac{b}{8}+\frac{c}{2}
$$

$$
\begin{align*}
m 1 & =2 * s 1  \tag{13}\\
s 2 & =\frac{7 a}{24}+\frac{3 b}{8}+\frac{c}{2} \\
m 2 & =2 * s 2 \tag{14}
\end{align*}
$$

By using these mean values and the original covariances $(\sigma)$, log likelihoods for those short segments of 2 frames ( $\mathrm{x} 1, \mathrm{x} 2$ ) can be computed as follows:

$$
\begin{equation*}
\log \text { likelihood }=\text { Constant }+\sum_{i=1}^{\operatorname{dim}} \frac{(x 1-m 1)^{2}}{\sigma}+\sum_{i=1}^{\operatorname{dim}} \frac{(x 2-m 2)^{2}}{\sigma} \tag{15}
\end{equation*}
$$

with dim corresponding to the dimension of each model (26 in our case).
Another theoretical approach which gives approximately the same results consists in using the mean values of a linear model. Under the assumption the linear time wrapping is valid, the approximation of a 2 frame segment to a second order polynomial in a normalized time $\left(a t^{2}+b t+c\right)$ is to fit the linear model ( $\left.a^{\prime} t+b^{\prime}\right)$ to the curve at time 0 and 1 . This leads to the solution:
$b^{\prime}=c$ and $a^{\prime}=a+b$
These two methods to estimate the Likelihood of the short segments are very similar as regards as results (about $0.2 \%$ of accuracy and percentage of good phonemes of difference). In the next part, we give the best results which are obtained with the second way estimate short segments.

The final results obtained with this new module in the latdec program are presented in the next part in paragraph 9.1.

## Part III

## Results

## 8 Results of the Landmark Detector

### 8.1 Test with the new data and new RNN

As we have found some ways to improve the results of the recognition, we are going to see if such changes in the data and the structure of the RNN will improve the results of the first part: Landmark detector.

We used a RNN with 10 forward and 10 backward states, 30 hidden states, trained on 1000 iterations. The data as outputs of this RNN are the values $1,0.5$ and 0 (for the training set).

From Table 19, we can see the improvements of the results on the testing set (50279 true boundaries without considering the extremities of each file) with the following parameters: upper threshold $=0.4$, lower threshold $=0.1$, margin $=2$, step $=2$. The percentage of good boundaries needs to be very high in order to be able to find the good boundaries among the list of the possible ones. In stage 3, the percentage of frames that will need to be checked as possible landmarks is $19.33 \%$ (at stage 2 it was $28.31 \%$ ).
The percentage of deletion and the accuracy are defined as follows:

$$
\text { Accuracy }=100 * \frac{N-D-I}{N} \text { and Perc. of Good boundaries }=100 * \frac{H}{N}
$$

| Performance | Step 1 | Step 2 | Step 3 |
| :--- | :---: | :---: | :---: |
| Hit (H) | 40028 | 48818 | 48818 |
| Insertion (I) | 2291 | 67529 | 30611 |
| Deletion (D) | 10251 | 1461 | 1461 |
| Perc. of good boundaries | 79.62 | 97.10 | 97.10 |
| Accuracy | 75.05 | -37.21 | 36.21 |

Table 19: Performance of the different steps according the number of well-identified ( H ), inserted (I), deleted (D) boundaries, the percentage of deletion, the accuracy and the reducing rate. Parameters: upper threshold 0.4, lower threshold 0.1, margin 2, step 2.

From the first two columns of Table 21 we see that the results concerning the phonemes are not as good as those obtained for the boundaries. For instance the percentage of good phonemes was $97.10 \%$ and it drops to $90.40 \%$ for the phonemes.

From the last two columns of Table 21, we can see that the parameter "distance" improves a little the results by avoiding to go through some too close nodes which correspond to the same true one. With this parameter the percentage of good phonemes is increased to $90.49 \%$.

In order to compare with the HMM results, we have to use the same criteria. That is the reason why we have calculated the performance of our system one the testing data by using only one threshold and only main boundaries (the local maxima above this threshold). From Table 20 we can see that the maximum of percentage of good phonemes is reached for the threshold 0.5 .

From Tables 22 and 24 , we can see that with a threshold set to 0.5 (the best value), the percentage of good boundaries is $75.06 \%$, and the percentage of good phonemes is $71.55 \%$

| Threshold | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Accuracy | -62.97 | -17.18 | 17.10 | 34.81 | 40.36 | 34.00 | 12.85 | -38.00 |
| Perc. good phonemes | 19.88 | 42.78 | 59.92 | 68.78 | 71.55 | 68.37 | 57.80 | 32.37 |

Table 20: Accuracy and Percentage of good phonemes obtained with an RNN with 10 forward and 10 backward states, 30 hidden states, trained on 1000 iterations with outputs $1,0.5$ and 0 . The margin was set to 2 and there are only main boundaries.


Figure 21: Percentage of good phonemes obtained with an RNN with 10 forward and 10 backward states, 30 hidden states, trained on 1000 iterations with outputs $1,0.5$ and 0 . The margin was set to 2 and there are only main boundaries.
with 2 as a margin.

|  | Boundaries - Step 3 | Phonemes - 1 | Phonemes - 2 |
| :--- | :---: | :---: | :---: |
| True (N) | 50279 | 48936 | 48936 |
| Hit (H) | 48818 | 44241 | 44284 |
| Insertion (I) | 30611 | 5681 | 5360 |
| Deletion (D) | 1461 | 4695 | 4652 |
| Perc. good... | 97.10 | 90.40 | 90.49 |
| Accuracy | 36.21 | 78.79 | 79.54 |

Table 21: Comparison of the performance concerning boundaries and phonemes ( -1 without the parameter "distance"; -2 the parameter "distance" is set to 2). The other parameters have the same values as for Table 1.

|  | Boundaries |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | Margin $=0$ | Margin =1 | Margin =2 | Margin =3 |
| True (N) | 50279 | 50279 | 50279 | 50279 |
| Hit (H) | 22090 | 35967 | 37353 | 37716 |
| Insertion (I) | 16409 | 2645 | 1283 | 922 |
| Deletion (D) | 28189 | 14312 | 12926 | 12563 |
| Perc. good... | 43.93 | 71.53 | 74.59 | 75.01 |
| Accuracy | 11.30 | 66.27 | 71.74 | 73.18 |

Table 22: Results obtained for the testing data. Comparison between the performance of the boundaries for different values for the parameter margin (there is only one threshold set to 0.5 , and only main boundaries)

|  | Boundaries |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| HMM - 1 mixt. | Margin $=0$ | Margin =1 | Margin = 2 | Margin = 3 |
| True (N) | 50279 | 50279 | 50279 | 50279 |
| Hit (H) | 9985 | 29385 | 37741 | 40106 |
| Insertion (I) | 33123 | 13993 | 5916 | 3723 |
| Deletion (D) | 40294 | 20894 | 12538 | 10173 |
| Perc. good... | 19.86 | 58.44 | 75.06 | 79.77 |
| Accuracy | -46.02 | 30.61 | 63.29 | 72.36 |


|  | Boundaries |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| HMM - 3 mixt. | Margin $=0$ | Margin $=1$ | Margin = 2 | Margin = 3 |
| True (N) | 50279 | 50279 | 50279 | 50279 |
| Hit (H) | 9045 | 27791 | 37851 | 40760 |
| Insertion (I) | 34864 | 16389 | 6639 | 3909 |
| Deletion (D) | 41234 | 22488 | 12428 | 9519 |
| Perc. good... | 17.99 | 55.27 | 75.28 | 81.06 |
| Accuracy | -51.35 | 22.68 | 62.08 | 73.29 |


|  | Boundaries |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| HMM - 5 mixt. | Margin $=0$ | Margin $=1$ | Margin $=2$ | Margin =3 |
| True (N) | 50279 | 50279 | 50279 | 50279 |
| Hit (H) | 8931 | 27807 | 37991 | 41095 |
| Insertion (I) | 35174 | 16575 | 6690 | 3755 |
| Deletion (D) | 41348 | 22472 | 12288 | 9184 |
| Perc. good... | 17.16 | 55.30 | 75.56 | 81.73 |
| Accuracy | -52.19 | 22.34 | 62.25 | 74.26 |

Table 23: For HMM with 3 states and 1, 3 or 5 mixtures. Comparison of the performance concerning phonemes with different values for the parameter margin.

|  | Phonemes |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | Margin = 0 | Margin =1 | Margin $=2$ | Margin = 3 |
| True (N) | 48936 | 48936 | 48936 | 48936 |
| Hit (H) | 12623 | 31953 | 35016 | 36057 |
| Insertion (I) | 37656 | 18326 | 15263 | 14222 |
| Deletion (D) | 36313 | 16983 | 13920 | 12879 |
| Perc. good... | 25.79 | 65.30 | 71.55 | 73.68 |
| Accuracy | -51.15 | 27.84 | 40.36 | 44.62 |

Table 24: Results obtained for the testing data. Comparison between the performance of the phonemes for different values for the parameter margin (there is only one threshold set to 0.5 , and only main boundaries).

|  | Phonemes |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| HMM - 1 mixt. | Margin = | Margin =1 | Margin = 2 | Margin = 3 |
| True (N) | 48936 | 48936 | 48936 | 48936 |
| Hit (H) | 3971 | 14624 | 25012 | 29772 |
| Insertion (I) | 46308 | 35655 | 25267 | 20507 |
| Deletion (D) | 44965 | 34312 | 23924 | 19164 |
| Perc. good... | 8.11 | 29.88 | 51.11 | 60.83 |
| Accuracy | -86.52 | -42.98 | -0.52 | 21.68 |


|  | Phonemes |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| HMM - 3 mixt. | Margin $=0$ | Margin =1 | Margin =2 | Margin = 3 |
| True (N) | 48936 | 48936 | 48936 | 48936 |
| Hit (H) | 3646 | 12024 | 23176 | 29197 |
| Insertion (I) | 46633 | 38255 | 27103 | 21082 |
| Deletion (D) | 45290 | 36912 | 25760 | 19739 |
| Perc. good... | 7.45 | 24.57 | 47.35 | 59.66 |
| Accuracy | -87.84 | -53.60 | -8.02 | 16.58 |


|  | Phonemes |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| HMM - 5 mixt. | Margin $=0$ | Margin $=1$ | Margin $=2$ | Margin = 3 |
| True (N) | 48936 | 48936 | 48936 | 48936 |
| Hit (H) | 3514 | 11959 | 23091 | 29875 |
| Insertion (I) | 46765 | 38320 | 27188 | 20404 |
| Deletion (D) | 45422 | 36977 | 25845 | 19061 |
| Perc. good... | 7.18 | 24.43 | 47.18 | 61.04 |
| Accuracy | -88.38 | -53.86 | -8.37 | 19.35 |

Table 25: For HMM with 3 states and 1, 3 or 5 mixtures. Comparison of the performance concerning phonemes with different values for the parameter margin.

### 8.2 Comparison with HMM

Tables 23 and 25 show the same results for some HMM cases (with 3 states and 1,3 or 5 mixtures). From Table 23, we can see that the results concerning the percentages of good boundaries increase when the mergin increases from 0 to 3 . It reaches the same value as our method but for margin equals to 0 or 1 our method gives much better results.

From Table 25, we can see that the percentages of good phonemes are very similar for these three models ( 1,3 or 5 mixtures). As for the boundaries, in each case, the mergin set to 3 improves the results compare to those obtained with the values 0 or 1 . As far as phonemes are concerned, our system obtains a percentage of good phonemes better than HMM cases even with the margin set to 3 . By comparing our results with the best results obtained with HMM ( 3 mixtures), we can see that our method is much more successful. We obtain $73.68 \%$ as percentage of good phonemes and the accuracy is $44.62 \%$ whereas the HMM only reaches the $61.04 \%$ of good phonemes and the accuracy is $19.35 \%$.

## 9 Final Results

Examples of all result files are in the Appendix B.

### 9.1 Results obtained

As in this part we are able to identify the short segment (2 frames) (for the theory, see previous paragraph 7.5.2), we should obtain better results than before.

Now, there are two different approaches to consider the landmarks of the short segments:

- One, it to consider all landmarks as main landmarks, so the final path with the identification of the phonemes will go through all landmarks.
- The other possibility is to consider the landmarks of the short segments as second ones. In this case, if the maximum of Likelihood is increased by going through those nodes then they will be landmarks of identified phonemes.

In the next tables, the first approach is characterized by the label "main only" and the second one by the label "main and second".

### 9.1.1 Effectiveness of duration probability

First, we check the fact that the option -D set to -1 for the Latdec program gives better performance than the value 0 . To know the duration of the phonemes helps makes easier their recognition. Table 26 illustrates this point for the full set of testing data with the threshold set to 0.3 (because we already know that with only one threshold the maximum performance is obtained around this value).

|  | Option $-D$ |  |
| :--- | :---: | :---: |
| $N b$. Hidden states | 0 | -1 |
| 20 (main only) | 37.98 | 39.55 |
|  | 43.16 | 44.70 |
| 20 (main and second) | 38.51 | 40.04 |
|  | 42.83 | 44.47 |
| 30 (main only) | 38.54 | 40.14 |
|  | 43.84 | 45.37 |
| 30 (main and second) | 39.08 | 40.66 |
|  | 43.43 | 45.10 |

Table 26: Accuracy (first line) and Percentage of Good phonemes for the full set of testing data with the newest version of the latdec program (recognition of short segments) with the threshold set to 0.3

More, this table lets us see that the best performances (accuracy and percentage of good phonemes) are reached with the RNN which has 30 hidden states ( 10 forward and 10 backward states) and by considering main and second landmarks (second ones for the short segments).

### 9.1.2 Effectiveness of short segment evaluation

The recognition of short segments improves the results very slightly.
As Table 26 shows the best results are obtained with 30 hidden states, the option -D set to -1 and considering main and second landmarks. With such parameters, we are going to compare the results of this latest program with the previous one (Table 27).

|  |  |  | Threshold |  |  |  |  |  |
| :---: | :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Version | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 |  |
| Accuracy | Previous Version | 26.85 | 38.09 | 40.70 | 39.66 | 37.53 | 33.17 |  |
|  | Latest Version | 26.49 | 38.15 | 41.03 | 40.34 | 38.15 | 33.73 |  |
| Perc. Good <br> Phonemes | Previous Version | 47.23 | 45.74 | 43.81 | 41.32 | 38.48 | 34.08 |  |
|  | Latest Version | 47.88 | 46.66 | 44.82 | 42.33 | 39.28 | 34.83 |  |

Table 27: Accuracy and Percentage of Good phonemes of the testing data of the directory dr 1 for the previous and latest versions ( 30 hidden states, 1000 iterations, -D -1, main and second landmarks for the latest version). The latest version corresponds to the one with the recognition of short segments, the previous version is the one just before without the recognition of short segments.

Considering only one threshold to demarcate the possible boundaries, the increase of the best value of the accuracy is not very significant (about $0.3 \%$, from $40.70 \%$ to $41.03 \%$, for directory dr 1 of the testing data) whereas, for the same threshold ( 0.3 ) the percentage of the good phonemes increases by about $1 \%$ (from $43.81 \%$ to $44.82 \%$.

We hope biggest increases for those values but one fact is that it is more difficult to identify short segments because they have less time (only two frames) to "point out" their differences and to identify them with one another.

### 9.1.3 Two thresholds

In part 3.2, two thresholds were used to obtain better results regarding the possible boundaries of the phonemes. It is time to see if this kind of pre-processing may improve the final performance.

Table 28 illustrates these tries for different values of the 2 thresholds, for the data of a RNN with 30 hidden states considering "main only" and "main and second" landmarks (with two thresholds, the files created with "main only" landmarks have second landmarks also, those located between the two landmarks).

Table 28 shows that, with two thresholds, the results are better with "main only" than with "main and second". This can be explained by the fact that between the two thresholds the local maxima are second boundaries.

Another fact is that the use of two thresholds seems to improve the recognition because in the next table (Table 27) the maximum of the accuracy $41.03 \%$ was reached for the threshold 0.3 and "main and second" landmarks, whereas with the two thresholds 0.25 and 0.6 and "main only" landmarks the maximum of accuracy is $41.92 \%$.

By trying the values 0.25 and 0.6 for the thresholds on the full testing data with "main only" boundaries, the results are:

* Accuracy $=41.33 \%$

| Lower thres. | Upper thres. | Main only | Main and Second |
| :--- | :--- | :---: | :---: |
| 0.2 | 0.2 | 37.29 | 38.15 |
| 0.2 | 0.5 | 41.00 | 40.82 |
| 0.2 | 0.6 | 41.06 | 40.82 |
| 0.2 | 0.7 | 40.97 | 40.82 |
| 0.25 | 0.55 | 41.89 | 41.65 |
| 0.25 | 0.6 | 41.92 | 41.68 |
| 0.25 | 0.65 | 41.80 | 41.68 |
| 0.3 | 0.3 | 40.88 | 41.03 |
| 0.3 | 0.6 | 41.68 | 41.41 |
| 0.4 | 0.4 | 40.34 | 40.34 |

Table 28: Accuracy of the testing data (dr1) with two thresholds and two kinds of data "main only" or "main and second". Those data were obtained with a RNN with 10 forward and backward states and 30 hidden states.

* Percentage of good phonemes $=45.32 \%$

These results are better than with only one threshold, indeed the maximum of accuracy for the whole testing set was $40.66 \%$; so the improvement is small (about $0.7 \%$ ) and the computational time may larger.

### 9.2 Best results obtainable

By running the latdec program on the outputs of the RNN with the training data as inputs, we can see the maximum performance that we could hope to reach with the testing data.

Table 29 shows that this maximum of performance (accuracy) is around $40 \%$ depending on the structure of the RNN and of the structure of the data. The difference between "main only" and "main and second" sections consists in the fact that in "main and second" section the landmarks separated by only one landmark are considered as second ones whereas in "main only" section they are main landmarks. Moreover, in each case, the option -D set to -1 gives a better result than the value 0 . The maximum values seem to be obtained with the RNN build with 30 hidden states with main and second landmarks (these values are calculated from drl of the training data only).

Table 29 also underlines the fact that the maximum of good phonemes will not exceed a value between $45 \%$ and $47 \%$.

In Table 29, the results are given for the threshold 0.3 , but we have to be aware of the fact that they may be slightly better for another value of the threshold ( $0.25,0.35 \ldots$ ), or with two different thresholds.

### 9.3 Comparison with HMM

The aim of this work is to improve the performance of a Speech Recognizer based on Polynomial Segment Model compared to the performance obtained with the Hidden Markov Model.

### 9.3.1 Computational requirement comparison

From Table 30, we can see that one problem of PSM compared to HMM is that HMM is about three times faster than PSM.

|  | Option $-D$ |  |
| :--- | :---: | :---: |
| Nb. Hidden states | 0 | -1 |
| 20 (main only) | 38.63 | 40.43 |
|  | 43.19 | 44.88 |
| 20 (main and second) | 39.09 | 40.74 |
|  | 42.81 | 44.44 |
| 30 (main only) | 39.01 | 40.79 |
|  | 43.80 | 45.50 |
| 30 (main and second) | 39.63 | 41.31 |
|  | 43.57 | 45.29 |

Table 29: Accuracy (first line) and Percentage of good phonemes (second line) for training data (directory dr1 only) depending on the - D option and the number of hidden states in the RNN of 10 forward and backward states. The threshold value was set to 0.3 .

|  | HMM (3 states) | PSM |
| :--- | :---: | :---: |
| System | 7.56 sec. | 198.67 sec. |
| User | 748.3 sec. | 2186.32 sec. |

Table 30: Time requirements for running HMM and PSM on the testing data

### 9.3.2 Accuracy and Percentage of good phonemes

|  | Nb of States |  |  |
| :--- | :---: | :---: | :---: |
| Data | 1 | 2 | 3 |
| Full testing data | 16.27 | 40.08 | 40.86 |
|  | 42.74 | 44.68 | 42.58 |
| testing data of dr1 | 14.92 | 38.92 | 40.52 |
|  | 41.92 | 44.14 | 42.36 |

Table 31: Accuracy (first line) and Percentage of Good phonemes (second line) of the testing data obtained with the HMM method with 1,3 or 5 states, and 1 mixture per state.

The results obtained with the HMM-based recognizer (Table 31) seem to be approximately the same results as those obtained with the PSM-based recognizer (Table 26). Even the PSM-based recognizer is a bit better but it takes more time to make it run on the full set of testing data than the HMM-based one.

It is interesting to see the difference of performance according the phonemes. This shows whether these two approaches are better for the same phonemes or different ones. Table 32 gives the number of well recognized phonemes for some of them (those for which the difference between HMM and PSM methods is the most significant).

When the PSM results are not so good compared to the HMM results as for phonemes axr, b, s and y (Table 32), two explanations are possible:

- Some phonemes have a waveform (that leads to cepstral coefficients) badly balanced as in Figure 22 (left). So it is very difficult for a second order curve to fit the original one.
- Other phonemes can have very different waveforms as in Figure 22 (right). So it is impossible to identify all of them with only one model curve.

|  | Recognizer |  |
| :--- | :---: | :---: |
| Phonemes | HMM | PSM |
| ax | 353 | 450 |
| axr | 456 | 380 |
| b | 227 | 153 |
| dh | 275 | 57 |
| dx | 176 | 274 |
| eh | 307 | 387 |
| sil | 2293 | 1981 |
| ih | 363 | 483 |
| ix | 696 | 831 |


|  | Recognizer |  |
| :--- | :---: | :---: |
| Phonemes | HMM | PSM |
| l | 333 | 488 |
| n | 678 | 870 |
| p | 384 | 487 |
| pcl | 725 | 595 |
| q | 126 | 233 |
| s | 1615 | 1504 |
| tcl | 396 | 489 |
| y | 245 | 150 |

Table 32: Number of phonemes correctly identified by the two methods for the phonemes whose difference of performance between HMM and PSM methods is the biggest.


Figure 22: Left: Waveform badly balanced for a 2nd order PSM model; Right: 2 very different waveforms for the same phoneme

As the vowels are more stable than other phonemes, that means they have more regular waveforms (in terms of repartition in time and of repetition), they should be better identified with the PSM-based recognizer than with the HMM-based one. The results obtained (Table 33) are not so obvious.

- For 4 vowels (ae, ey, iy and oy), the HMM-based recognizer is better.
- For 5 vowels (aw, ay, uh, uw, ux), the two systems seem to be approximately equivalent.
- For 7 vowels (aa, ah, ao, eh, er, ih, ow), the PSM-based recognizer gives better results.

|  | Recognizer |  |
| :--- | :---: | :---: |
| Phonemes | HMM | PSM |
| aa | 317 | 335 |
| ae | 430 | 409 |
| ah | 239 | 258 |
| ao | 309 | 339 |
| aw | 123 | 122 |
| ay | 420 | 422 |
| eh | 307 | 387 |
| er | 315 | 345 |


|  | Recognizer |  |
| :--- | :---: | :---: |
| Phonemes | HMM | PSM |
| ey | 544 | 508 |
| ih | 363 | 483 |
| iy | 1156 | 1074 |
| ow | 178 | 196 |
| oy | 90 | 46 |
| uh | 41 | 48 |
| uw | 77 | 69 |
| ux | 160 | 161 |

Table 33: Number of vowels correctly identified by the two methods.

## 10 Conclusion

In this work, we try to see if the performance of a speech recognizer based on RNN and PSM could reach the performance of HMM.

Our results are very similar compared to HMM results; but one point which is not so good is the fact that the computational requirements of RNN and PSM are higher than those needed for HMM case.

A further improvement of our system could be to use variance trajectory model [9] in order to make the system much efficient and reliable.

## References

[1] M. Bacchiani and M. Ostendorf. Software for design and use of a speech recognition system based on automatically derived non-uniform units. Technical report, ATR, Interpreting Telecommunications Research Labs., Japan, 1996.
[2] H. Gish and K. Ng. A segment speech model with applications to wordspotting. ICASSP, 1993.
[3] J. Chang J. Glass and M. McCandless. A probabilistic framework for feature-based speech recognition. ICSLP, 1996.
[4] L.Rabiner and B.-H. Juang. Fundamentals of Speech Recognition. Prentice Hall Signal Processing Series, Alan V. Oppenheim, Series Editor, New Jersy, USA, 1993.
[5] M. Biacchiani M. Ostendorf and Y. Sagisaka. Speech recognition system design using automatically learned non-uniform segmental units. Technical report, ATR, Interpreting Telecommunications Research Labs., Japan, 1996.
[6] O. A. Kimball M. Ostendorf, V. Digalakis. From hmms to segment models: A unified view of stochastic modeling for speech recognition. Technical report, EDICS 1.6.3, May 22, 1995.
[7] P. Woodland S. Young and W. Byrne. Htk: Hidden markov model toolkit v1.5 reference manuel. Cambridge University Engineering Departement Speech Group and Entropic Research Laboratories Inc., 1993.
[8] M. Schuster. Learning out of time series with an extended recurrent neural network. NNSP, 1996.
[9] Y. Sagisaka T. Fukada and K. Paliwal. Model parameter estimation for mixture density polynomial segment models. ICASSP, 1997 (to appear).

## Part IV

## Appendix

## 11 Appendix A: How to use all the programs

All the programs have the same organization, they use the same data files. These are the reasons why we have chosen to present them all together.

### 11.1 Data files

There are two kinds of data files: the original data files with the true boundaries and the estimated data files with the estimated boundaries (obtained after the RNN network).
The extension of the original data files must be ".bnd" and the extension of the estimated data files must be ".bnd.nn_out". Otherwise, these have to be changed in the program.

The original data files and the estimated data files have the same structure.
The data files have to written in ASCII, with one the first line NN_ascii_data, on the second line there should be the number of frames, one the third line the number of column (in general 1) and then a blank line.
At the end of each data file, it must not be a blank line.
The presentation is as follows:
NN_ascii_data
4
1
$1.000000 e+00$
$7.500000 \mathrm{e}-01$
$5.000000 \mathrm{e}-01$
$2.500000 \mathrm{e}-01$

### 11.2 List file

To run all the programs, it is necessary to create a file whose content is the name of all the data files. Those names are written without any extension.

The presentation is like this:
s0000
s0001
s0000 and s0001 are the two names of files whose the program is going to compare the estimated files with the original ones (i.e. s0000.bnd.nn_out with s0000.bnd, and s0001.bnd.nn_out with s0001.bnd).

### 11.3 To run a program

The command to make one program run is very simple: program_name [options] list.filename

The options can be multiple and they are explained in the next part.

### 11.4 Options

- -t: only in the program "all_eval", correspond to -t_upper (default 0.8).
- -t_upper: value of the upper threshold (default 0.8).
- -t_lower: value of the lower threshold (default 0.5).
- -m: margin value (default 1). The margin is one the left and one the right of each true boundary.
- -s: step (default 1). The value 0 has no meaning. With the value 1 , all points above the upper threshold are considered; otherwise, there is a ratio $1 /$ step.
- -d: distance (default 0). This value is the minimum of frames that need to separate two local maxima above the upper threshold so that they are considered as main boundaries, otherwise they become second boundaries.
- -extension (default lat). To change the extension of the output file.


### 11.5 Programs

### 11.5.1 Concerning Boundaries

- all_eval.c:
- Use: all_eval [options] filename_list
- Function:It calculates the accuracy, the number of deleted and inserted boundaries for a list of files. The estimated boundaries are the points above the threshold. It is used in the paragraph 3.1.
- Options: -t,-m.
- all_find.c:
- Use: all_find [options] filename_list
- Function: It calculates the accuracy, the number of deleted and inserted boundaries and the percentage of good boundaries for a list of files. The estimated boundaries are the points above the upper landmark and the local maxima between the two landmarks. It is used in the paragraph 3.2.
- Options: -t_upper, -t_lower, -m
- landmark_step1.c:
- Use: landmark_step 1.c [options] filename_list
- Function: It calculates the same values and the reducing rate. The estimated boundaries are the points above the upper threshold separated by "step-1" frames when they are following points above the threshold and the local maxima between the two thresholds. It is used in the paragraph 3.3.
- Options: -t_upper, -t_lower, -m, -s
- main_landmarks.c:
- Use: main landmarks [options] filename_list
- Function: It creates a list of the main landmarks (points local maxima above the upper threshold) and a list of the second landmarks (the other points above the upper threshold and the local maxima between the two thresholds).
- Options: -t_upper, -t_lower, -m, -s
- perf_main_landmarks.c:
- Use: perf_main_landmarks [options] filename_list
- Function: It creates the same lists as the previous program, and it evaluates the performance of the way to establish the boundaries compare to the true ones.
- Options: -t_upper, -t_lower, -m, -s


### 11.5.2 Concerning Phonemes

- distance_boundaries.c:
- Use: [options] filename_list
- Function: It has the same outputs as perf_main_landmark.c but it considers that when two main boundaries are not separated by more than "distance" frames, then they are considered as second boundaries. It is used in the paragraph 4.2. For the previous paragraph (paragraph 4.1), the program used was an old version of distances.boundaries; now we use this latter with the parameter distance set to 0 .
- Options: -t_upper, -t_lower, -m, -s, -d


### 11.5.3 For the latdec program

- create_lattice_file.c:
- Use: create_lattice_file [options] filename_list
- Function: The input is one file whose extension is "bnd.nn_out" and it creates the lattice file from the list of the second and main boundaries (the second boundaries are all local maxima between the two thresholds and the points above the upper threshold which are not local maxima - with the parameter "step"). It is possible to test the files with only one threshold by giving the same value to both upper and lower thresholds.
- Options: -t_upper, -t_lower, -s, -d
- create_lattice_file_major.c:
- Use: create_lattice_file_major [options] input_file output_file (the last 3 characters are removed to be changed into the extension).
- Function: It has the same aim as the previous program but it considers as second boundaries only the local maxima between the two thresholds. It is possible to test the files with only one threshold by giving the same value to both upper and lower thresholds.
- Options: -t_upper, -t_lower, -extension

The goal of these programs create_lattice_file.c and create_lattice_file_major.c is to create a list of all the possible boundaries of phonemes and a list of the links that may exist between them.

From the probabilities of the frames to be boundaries, such programs determine which of them are possible boundaries, called nodes. There are two kinds of nodes: main and second ones according to their probabilities to be boundaries.

The links are created from one node to another one according some rules. One link can never go over a main node. For instance, if 65 and 87 are the frames of second nodes and there is a main node at the frame 72 , then the links $65-72$ and $72-87$ exist but the link $65-87$ does not exist.

The programs create_lattice_file and create_lattice_file_major are quite similar because they create lattice file from the outputs of the RNN network and the mfcc files coresponding. Their difference is in the approach to consider the frame probabilities and the way to choose some of them as nodes.

- Inputs:

The inputs are two kinds of files. The less important is the mfc file because it is only used to give back to the file being treated its right name. The output file of the RNN network, called in the remaining of this part "sXXXX.bnd.nn_out", is the only file
really useful. It has the following structure:

```
NN_ascii_data type of data
number of data vectors (int, ASCII)
l number of outputs
blank line
values (between 0 and 1)
```

- Outputs:

The output is only one file, whose name will be the name of the mfc file with its last three letters of its name changed into "lat". There is one lattice file for each couple of mfc file and sXXXX.bnd.nn_out file.
The nodes are defined by a number. The lattice file lists the number of nodes, the number of links, the nodes with their attributed number and the time they correspond to in the sentence (in seconds), the structure of all links (a number attributed, the start node, the end node, the WORD IDentifiation). The word identification corresponds to the number of the phoneme tested for this link. As we are working with a set of 61 phonemes, there will be 61 tests for each link.
A lattice file has the following structure:

```
NODES=number of nodes in this sentence
LINKS=number of links between second, main and second, and main
I=1 number of this node
time=translation in seconds of the number of this frame
I=
time=
J=1 number of this link
START=number of the nodes in which this link starts
END=number of the node in which this link ends
WORDID=identification number of a phoneme of the data
J=
START=
```

This structure is required to use the latdec software made by M. Bacchiani and M. Ostendorf.

- Difference between these two programs:

The only difference between the programs create_lattice_file and create_lattice_file_major is the way to consider the nodes as main boundaries or second ones.

The program create_lattice_file_major considers only the local maxima above the upper threshold as main boundaries (i.e. main nodes) and the local maxima between the two thresholds as second boundaries (second nodes).

The program create_lattice_file considers the same main nodes but the second nodes are the frames which are local maxima between the two thresholds and the points above the upper thresholds with the notion of "step". The "step" parameter allows the user to choose if he wants to have all these points, one half, one third of these points.

- For several files:

In order to make create_lattice_file_major run on several files (a directory), I have made shell script whose name is phonem_detector_major.s. This shell script not only runs the create」lattice_file_major program for several files, but it also runs the latdec program and it gives th performance of the system in terms of accuracy and percentage of good phonems thanks to the tool HResults from the HTKtest tolls.

The architecture of the files should be as it is represented in Figure 23 in order to keep the structure of the "foreach" loops of the schell program.


Figure 23: Organisation of the data files
The schell program is organized as follows:

- main_directory: sets the path to reach the first node of the data files as Figure 23 shows.
- file_bnd: sets the path to reach the ".bnd.nn_out" files.
- upper: sets the value of the upper threshold.
- lower: sets the value of the lower threshold.
- extension: sets the extension of the lattice file. By default, its name is the mfc file whose extension is changed into "lat".
- latdec: sets the extension given to the files which are the outputs of the latdec program.
- script: sets the name of the file in which the names of the latdec-files are written in order to realize the program result.s.

The only thing to be careful to change, if necessary, the script file used in the part results.s of the schell script phonem_detector_major.s. The file lists all the files to be read for the evaluation of the performances (by default, it contains lab_new files). If the upper and lower thresholds have the same value, it works as if it only was one threshold.

## 12 Appendix B: the different kinds of files

These files correspond to the "first" file of the testing data:/dr1/fasks0/si1573.*.
The original sentence is (si1573.txt);
079565 His captain was thin and haggard and his beautiful boots were worn and shabby.
It has been separated into phonemes (dictionary: 61 phonemes) and the beginning and the end of each phoneme is expressed into milliseconds (si1573.lab). In Table 34, there are examples of such files obtained with HMM-based recognizer and PSM-based recognizer.

| LAB file | REC file | LAB_NEW file |
| :--- | :--- | :--- |
| 05575000 sil | 0300000 b | 02178000 sil 203.207489 |
| 55750005956250 hh | 3000002100000 sil | 21780005578000 pau 651.526611 |
| 59562506683750 ih | 21000003200000 t | 55780005878000 d 37.148560 |
| 66837507675625 z | 32000005800000 pau | 58780006578000 ih 126.724709 |
| 76756258081250 kcl | 58000006700000 ih | 65780007678000 s 142.326019 |
| 80812508568750 k | 67000007700000 s | 76780007978000 kcl 3.008018 |
| 85687509816875 ae | 77000008000000 kcl | 79780008478000 k 53.198250 |
| 981687510962500 pcl | 80000008500000 k | 84780009678000 ae 72.374687 |
| 1096250011143750 t | 85000009700000 aw | $96780009978000 \mathrm{q}-80.167198$ |
| 1114375011748750 ix | 970000011100000 q | $997800011078000 \mathrm{q}-1.238128$ |
| 1174875012600625 n | 1110000011800000 eh | 1107800011678000 ih 15.260043 |
| 1260062513158750 w | 1180000012700000 nx | 1167800012578000 n 74.577003 |
| 1315875013603125 ax | 1270000013200000 w | 1257800013578000 oy 140.129807 |
| 1360312515116875 s | 1320000013700000 ax | 1357800015078000 s 311.884491 |
| 1511687515787500 th | 1370000015100000 s | 1507800015778000 th 127.877625 |
| 1578750016775000 ih | 1510000015500000 pcl | 1577800016678000 iy 146.200058 |
| 1677500017318750 n | 1550000015800000 g | 1667800017278000 nx 7.782028 |
| 1731875017966875 ae | 1580000016600000 iy | 1727800017978000 eh 8.468667 |
| 1796687518772500 n | 1660000017200000 nx | 1797800018678000 ng 9.960123 |
| 1877250019723750 hv | 1720000018000000 eh | 1867800018978000 ix 9.853329 |
| 1972375021435625 ae | 1800000018800000 ng | 1897800019678000 hv 151.826523 |

Table 34: Examples of labl files: LAB file contains the true frames (in time) of the boundaries, REC file is obtained for HMM, LAB_NEW file is obtained for PSM

